

# SCOOP: Decentralized and Opportunistic Multicasting of Information Streams

D. Gunawardena

Microsoft Research

T. Karagiannis

Microsoft Research

A. Proutiere

KTH

E. Santos-Neto

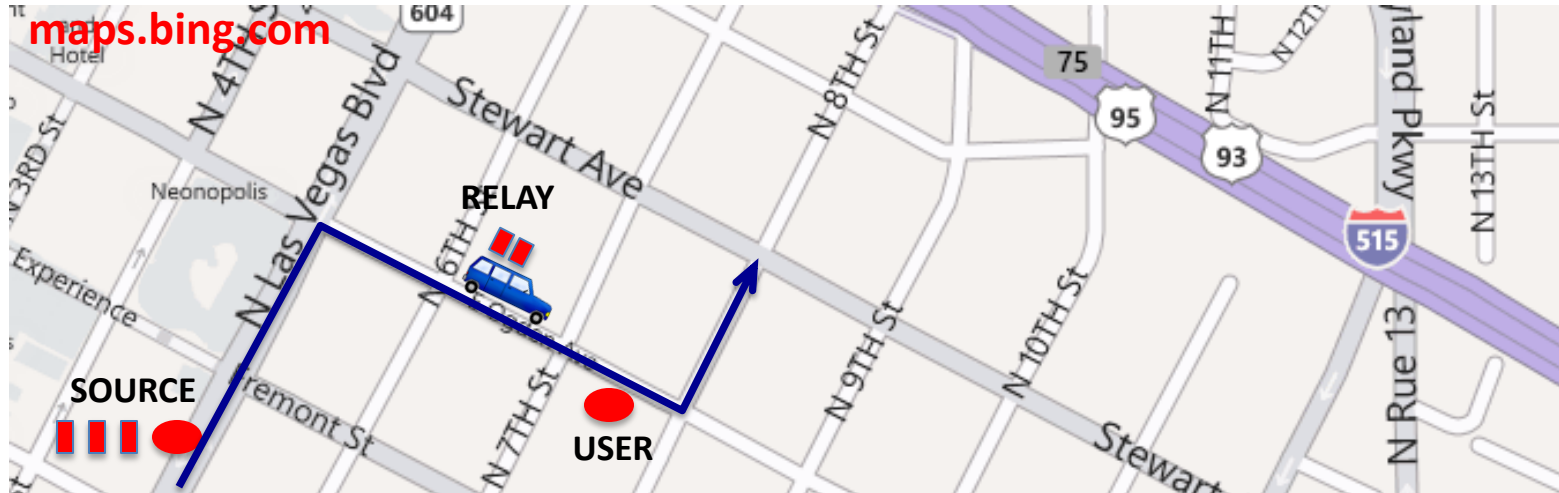
British Columbia

M. Vojnovic

Microsoft Research

# Opportunistic Communication

- Aims at leveraging mobility for content delivery in networks of devices experiencing intermittent connectivity



- Applications: disaster recovery and challenged networks, DTNs, alleviate congestion in 3G / 4G cellular systems (?)

# Routing / Relaying Strategies

- Main challenge in opportunistic communication: design optimal and decentralized relaying strategies
- *Forwarding* protocols: maintain a single copy of each message, e.g. **Jain et al.** (sigcomm'04)
- *Epidemic* routing: replicate messages, e.g. RAPID, **Balasubramanian et al.** (sigcomm'07)
- Drawbacks of existing approaches
  - infer mobility and track expected delays towards destination using simplifying assumptions on mobility: independence of delays through various paths, exponential inter-contact times
  - based on heuristics: not maximizing an a-priori well-defined global system objective

# Our contribution: SCOOP

A novel relaying strategy that

- **maximizes some global system objective,**
- accounts for **storage and transmission costs** at relays,
- supports **multi-point to multi-point communications,**
- is **decentralized** (decisions based on local information),
- allows for **general node mobility** (correlated delays across paths and arbitrary inter-contact time distributions).

# Outline

1. Analysis of mobility traces
2. SCOOP: Optimal relaying strategy -- Theory and Practice
3. Numerical experiments

# 1. Mobility traces: Path length and delay correlations

# Multi-hop relaying

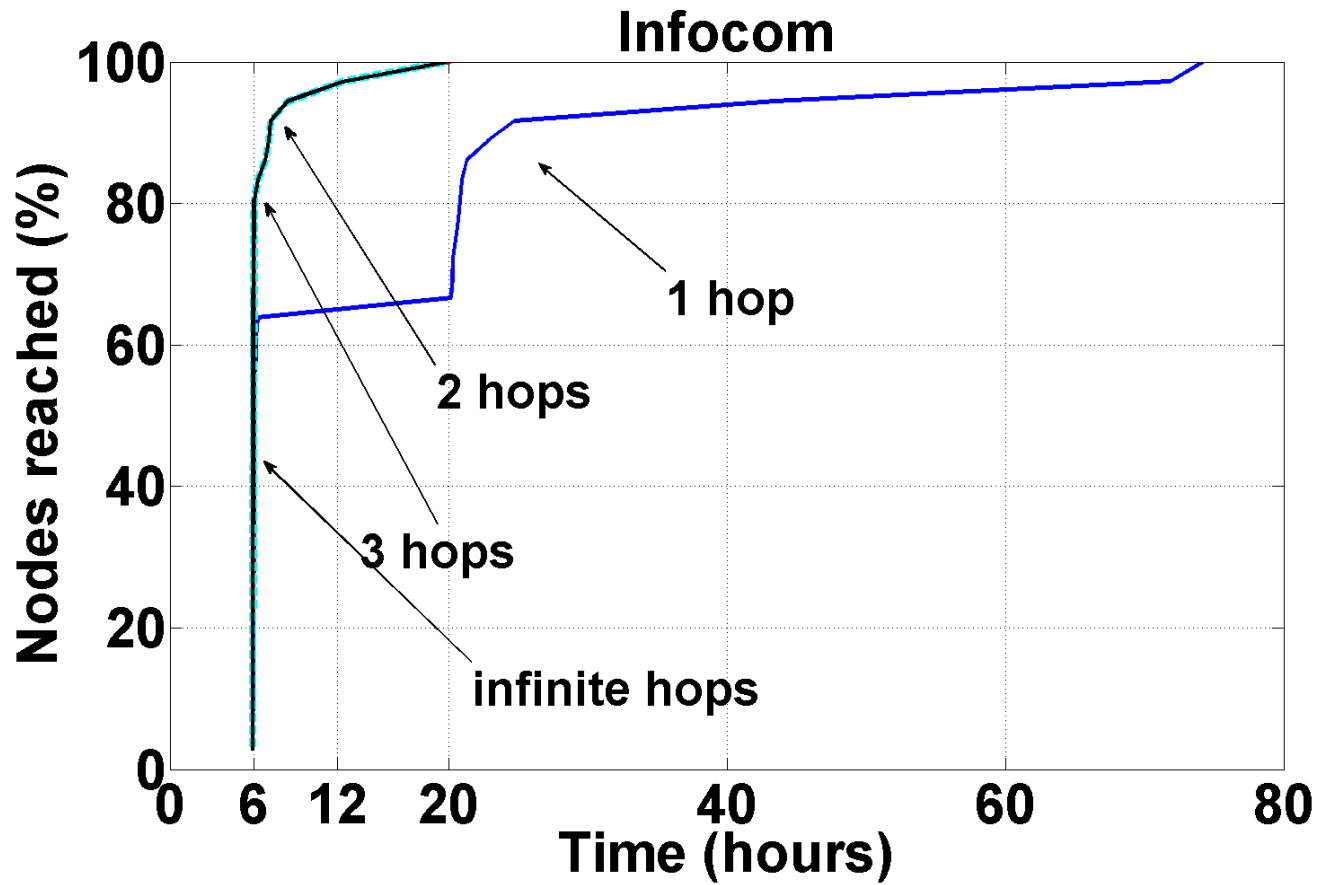
- Traces

Name	Technology	Duration	Devices	Contacts	Year
UCSD	WiFi	77 days	275	116,383	2002
Infocom	Bluetooth	3 days	37	42,569	2005
DieselNet	WiFi	20 days	34	3,268	2007
SF Taxis	GPS	24 days	535	183M	2008

- Questions:

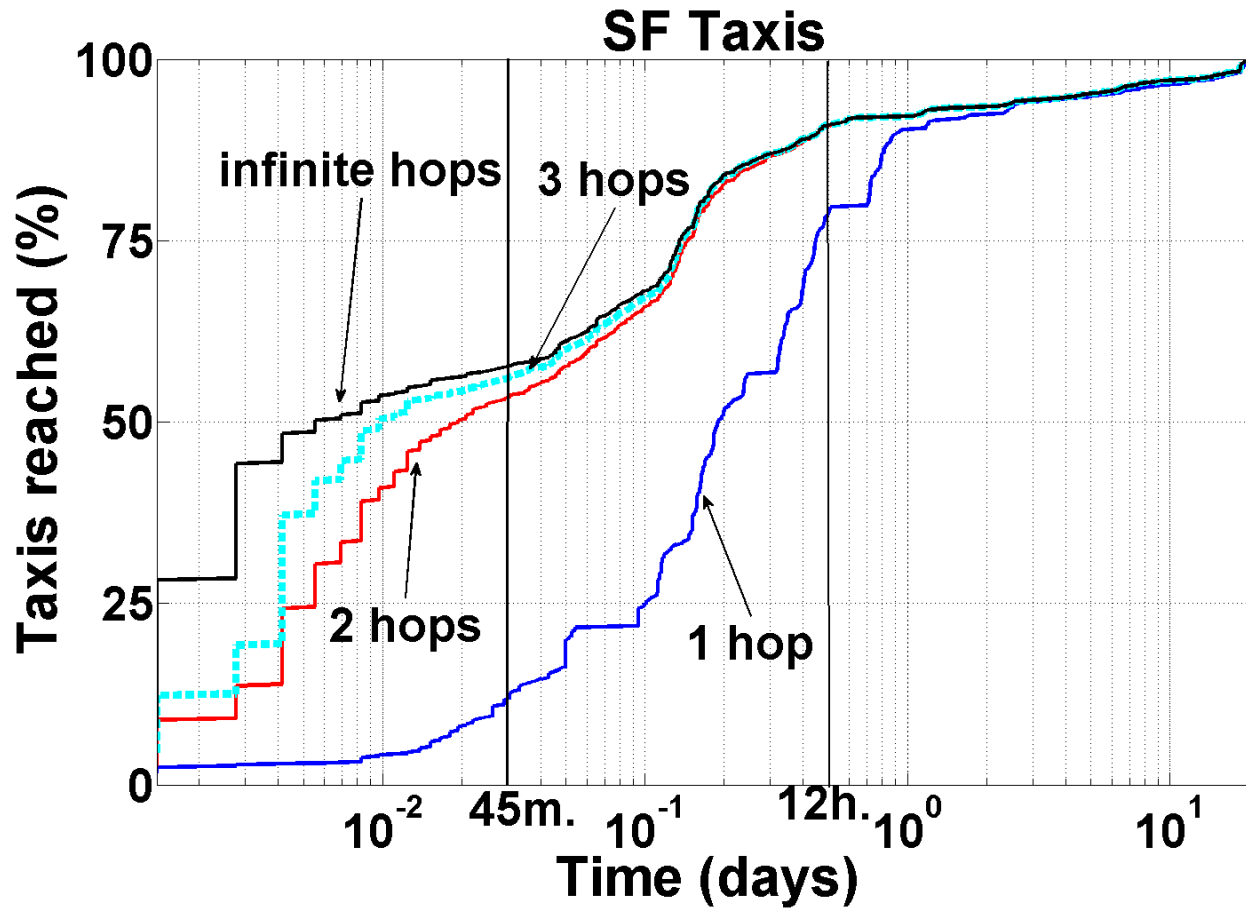
1. How many hops do we need for acceptable performance?
2. What are the statistical properties of the discovered paths? Are delays on different paths independent?

# 2 hops are enough

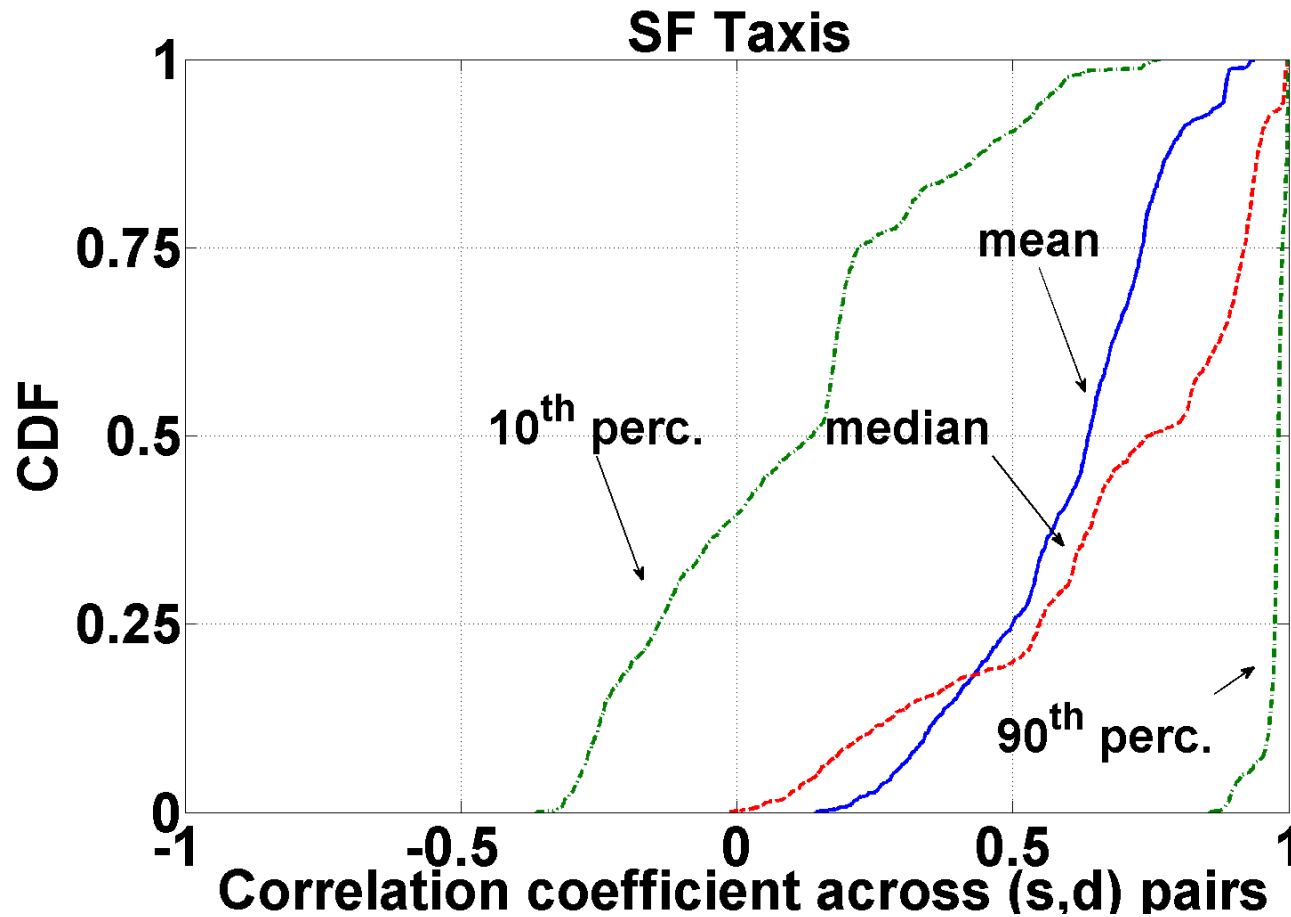




# 2 hops are enough



# Paths positive correlations

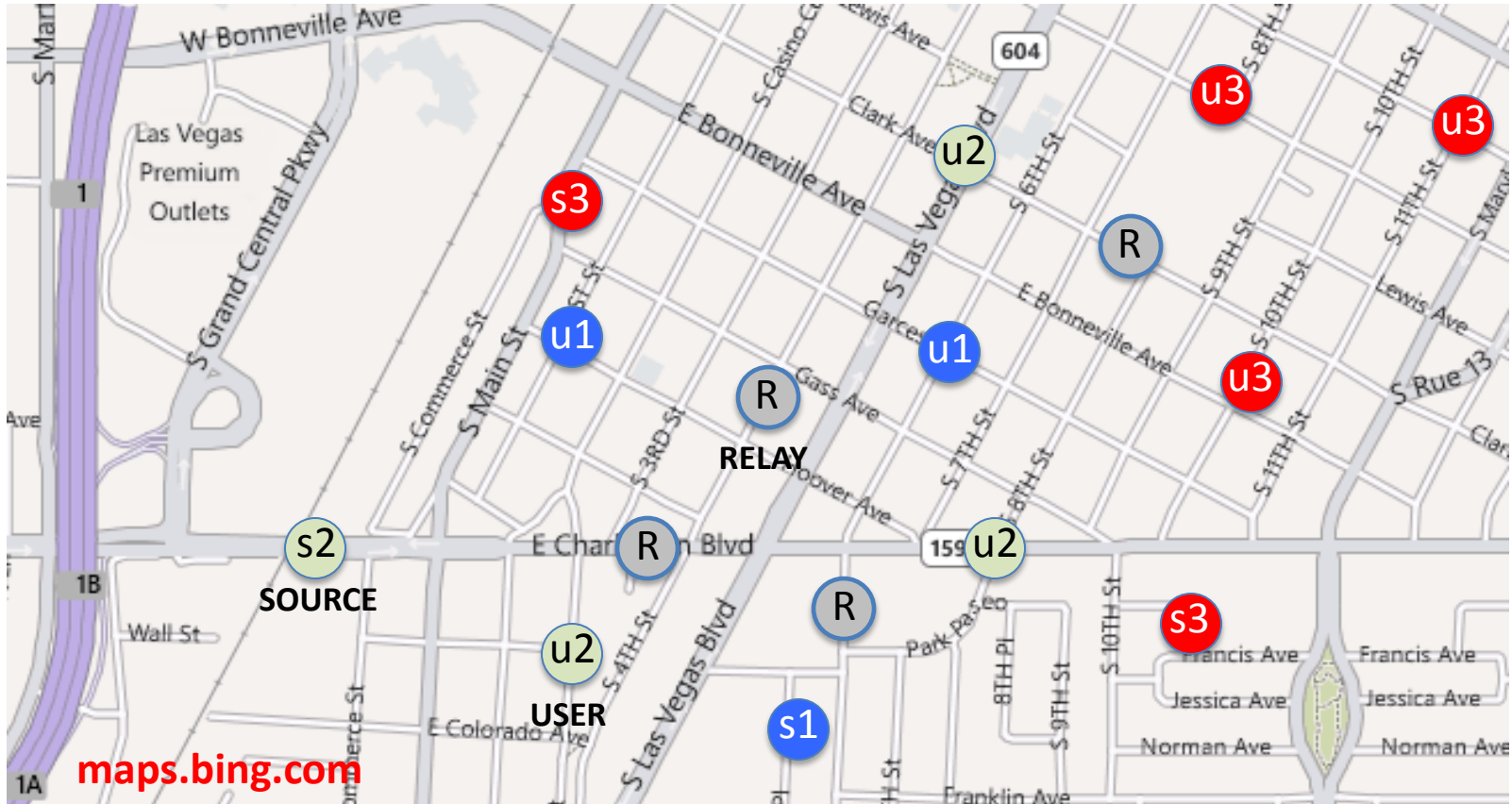


# Paths positive correlations



## 2. SCOOP: Optimal relaying scheme Theory and Practice

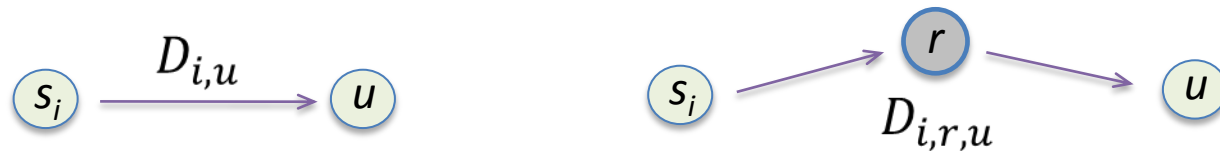
# Network setting



- Multi-point to multi-point communication
- For a given information stream: a set of sources and a set of *interested* users

# Network setting

- **Stream- $i$  sources:** generate messages according to a stationary ergodic point process of intensity  $\lambda_i$
- **General mobility model** (stationary ergodic processes)



1-hop steady-state delay

$D_{i,u}$  : time it takes for a stream- $i$  message to reach user  $u$  without the help of any relay

2-hop steady-state delay

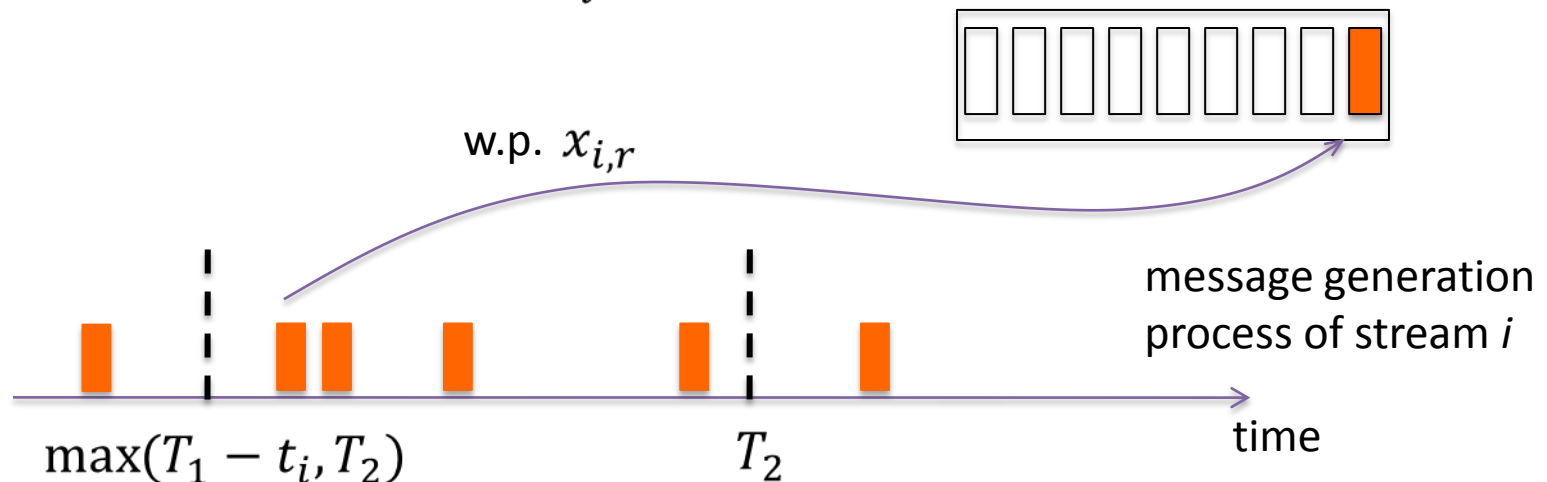
$D_{i,r,u}$  : time it takes for a stream- $i$  message to reach user  $u$  through relay  $r$

# Network setting

- **Relays:** buffer size of relay  $r$ ,  $B_r$
- **Probabilistic relaying scheme:** parameterized by  $x \in [0,1]^{I \times U}$

$x_{i,r}$  : probability that relay  $r$  relays a message from sources of stream  $i$

**Ex:** Relay  $r$  meets a stream- $i$  source at times  $(T_1, T_2, \dots)$   
Consider messages in chronological order for upload  
Stream- $i$  deadline:  $t_i$

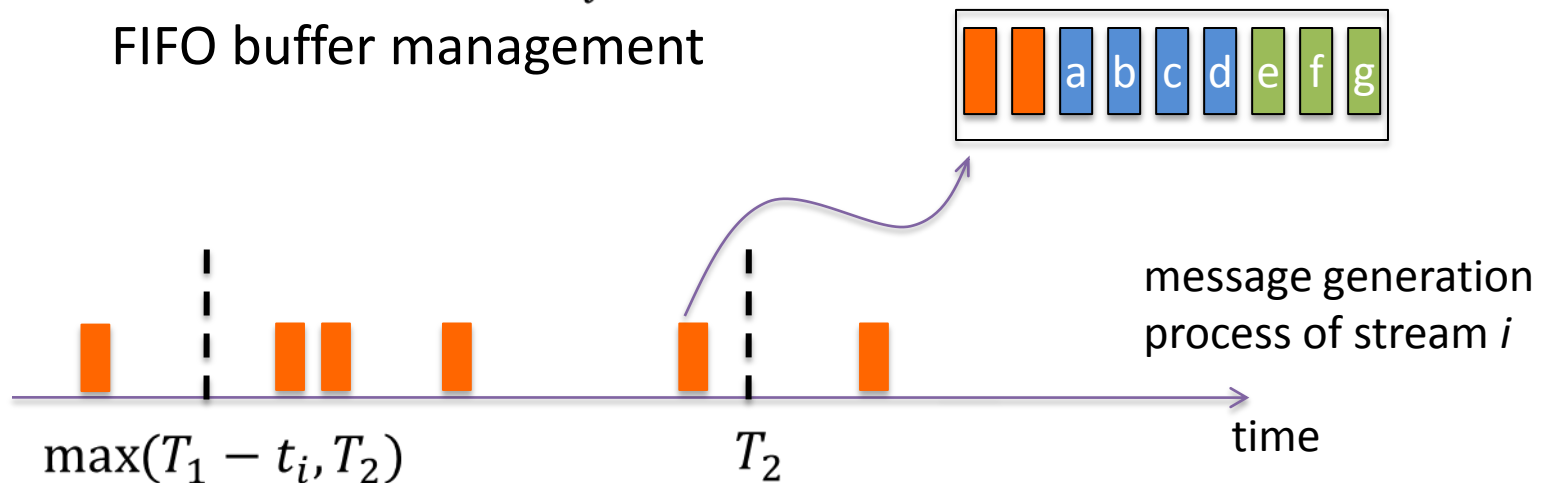


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FIFO buffer management





# Network setting

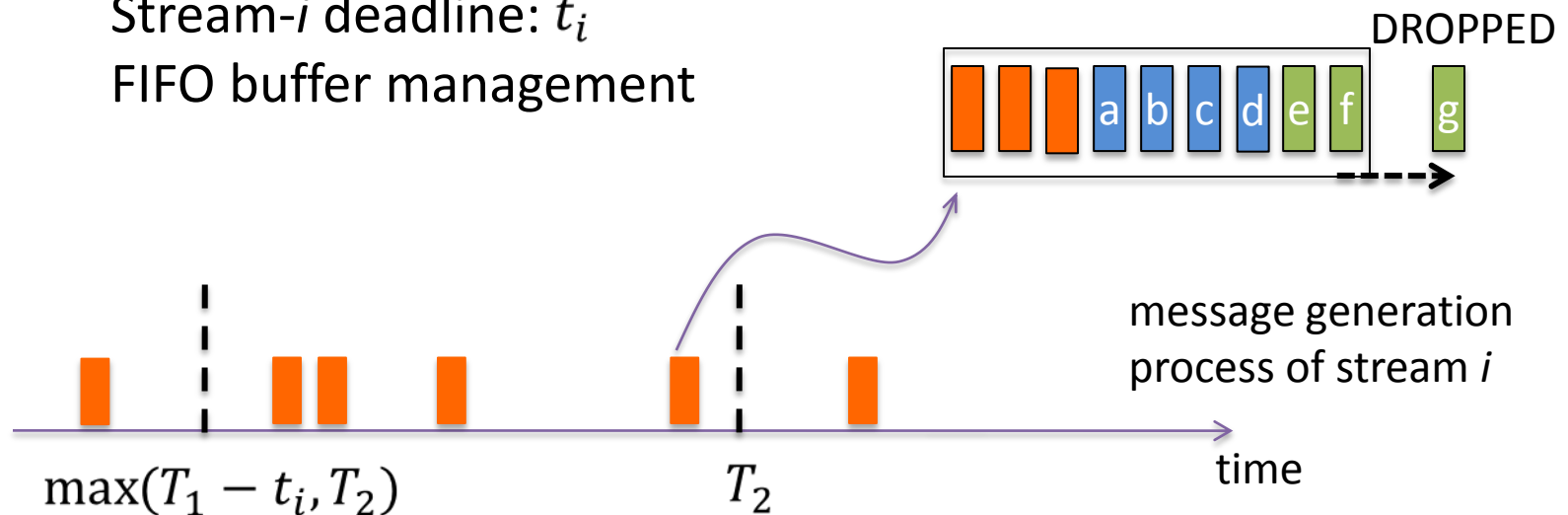
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FIFO buffer management



# Objective

- **Performance:** user- $u$  performance measured through

$$\sum_i a_{i,u} P_x[A_{i,u} \leq t_i]$$

$a_{i,u}$  : binary variable indicating whether user  $u$  is interested in stream  $i$

$A_{i,u}$  : age of a stream- $i$  packet when arriving at user  $u$

- **Global system objective:**

Identify the strategy *optimally* exploiting mobility and buffer constraints at relays, i.e., solving:

$$\text{maximize } \sum_{i,u} a_{i,u} P_x[A_{i,u} \leq t_i] \quad \text{over } x \in [0,1]^{I \times U}$$

# Sub-gradient algorithm

- The following updating rule converges to a solution:

$$\frac{dx_{i,r}}{dt} = \sum_{j,u} a_{j,u} \frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j]$$

- Problem: how to estimate  $\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j]$ ?
- Key idea: **Smoothed Perturbation Analysis (SPA)** techniques -- see the paper for details

# Gradient estimator

## Theorem

$$\begin{aligned} \frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] &= E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ &\quad - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u} = B_r} + K_{j,r,u}^i 1_{N_{j,r,u} = B_r - 1})] \end{aligned}$$

# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u} = B_r} + K_{j,r,u}^i 1_{N_{j,r,u} = B_r - 1})]$$

**Positive effect of increasing  $x_{i,r}$ .** For stream  $i$  only, through

$$1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}$$

event “stream- $i$  packet cannot reach user  $u$  before deadline without the help of relay  $r$ , but could do it using relay  $r$ ”

# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u} = B_r} + K_{j,r,u}^i 1_{N_{j,r,u} = B_r - 1})]$$

**Negative effect of increasing  $x_{i,r}$ .** For stream  $j$  through

$$I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u} = B_r} + K_{j,r,u}^i 1_{N_{j,r,u} = B_r - 1})$$

# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u}=B_r} + K_{j,r,u}^i 1_{N_{j,r,u}=B_r-1})]$$

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event “stream- $j$  packet cannot reach user  $u$  before deadline without relay  $r$ , and the two hop delay via relay  $r$  is smaller than the deadline”

# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u} = B_r} + K_{j,r,u}^i 1_{N_{j,r,u} = B_r - 1})]$$

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binary variable indicating whether relay  $r$  uploads stream- $j$  packet



# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u}=B_r} + K_{j,r,u}^i 1_{N_{j,r,u}=B_r-1})]$$

**Negative effect of increasing  $x_{i,r}$ .** For stream  $j$  through

$$I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u}=B_r} + K_{j,r,u}^i 1_{N_{j,r,u}=B_r-1})$$

records the number of stream- $i$  packets uploaded by relay  $r$  after stream- $j$  packet was uploaded, given that the latter was dropped just before meeting user  $u$ .

# Gradient estimator

## Theorem

$$\frac{\partial}{\partial x_{i,r}} P_x[A_{j,u} \leq t_j] = E_x[1_{A_{i,u}^{-r} > t_i} 1_{\hat{A}_{i,r,u} \leq t_i}] 1_{i=j} \\ - E_x[I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u}=B_r} + K_{j,r,u}^i 1_{N_{j,r,u}=B_r-1})]$$

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$$I_{j,r,u} R_{j,r} (N_{j,r,u}^i 1_{N_{j,r,u}=B_r} + \boxed{K_{j,r,u}^i 1_{N_{j,r,u}=B_r-1}})$$

records the number of stream- $i$  packets *observed* but not uploaded by  $r$  after stream- $j$  packet was uploaded, given that this packet is at the head of relay- $r$  buffer (next to be evicted) when meeting user  $u$ .

# Implementation

- All quantities involved in the gradient estimator are observable locally by users and relays
- ... it can be implemented by relays using **local information** obtained from users
- For every stream- $j$  packet  $m$  observed by relay  $r$ , the latter collects feedback from user  $u$  to compute: for all  $i$ ,

**a. term used to increase  $\mathbf{x}_{i,r}$**

$$\alpha_{i,r,u}(m) = a_{i,u} \mathbf{1}_{i=j} \mathbf{1}_{A_{i,u}^{-r}(m) > t_i} \mathbf{1}_{\hat{A}_{i,r,u}(m) \leq t_i}$$

**b. term used to decrease  $\mathbf{x}_{i,r}$**

$$\beta_{i,r,u}(m) = a_{j,u} I_{j,r,u}(m) R_{j,r}(m) \left( N_{j,r,u}^i(m) \mathbf{1}_{N_{j,r,u}(m) = B_r} + K_{j,r,u}^i(m) \mathbf{1}_{N_{j,r,u}(m) = B_r - 1} \right)$$

# Implementation

- **Online updates:**

When receiving the  $n$ -th feedback, say from user  $u(n)$  for a stream- $c(n)$  packet, relay  $r$  updates:

$$x_{i,r}(n+1) = x_{i,r}(n) + \epsilon \left( \frac{\sum_{j \in O(r)} \lambda_j}{\lambda_{c(n)}} \right) (\alpha_{i,r,u(n)}(n) - \beta_{i,r,u(n)}(n))$$

$O(r)$ : set of streams observed by relay  $r$

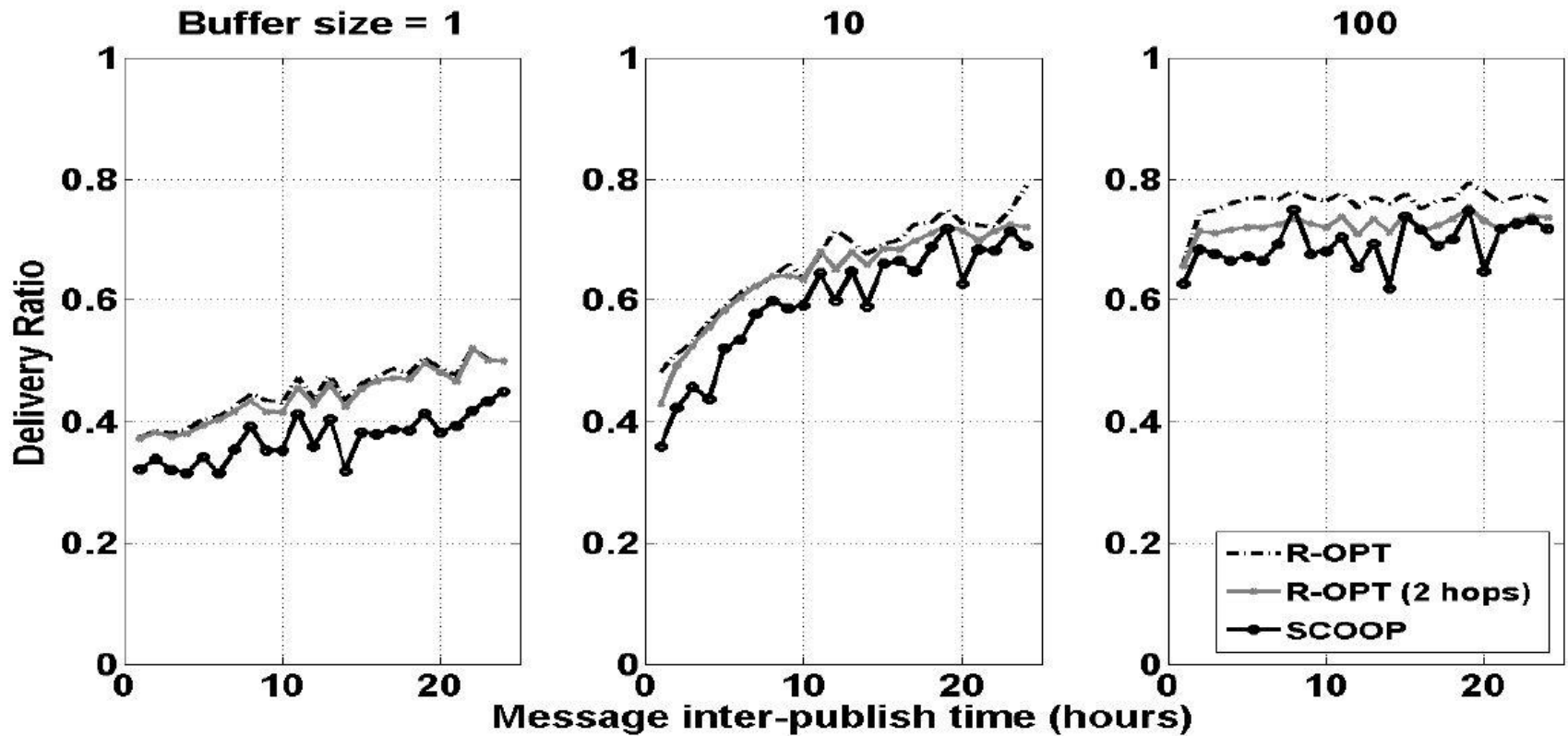
- Refer to the paper for a detailed description of the protocols

# 3. Numerical experiments

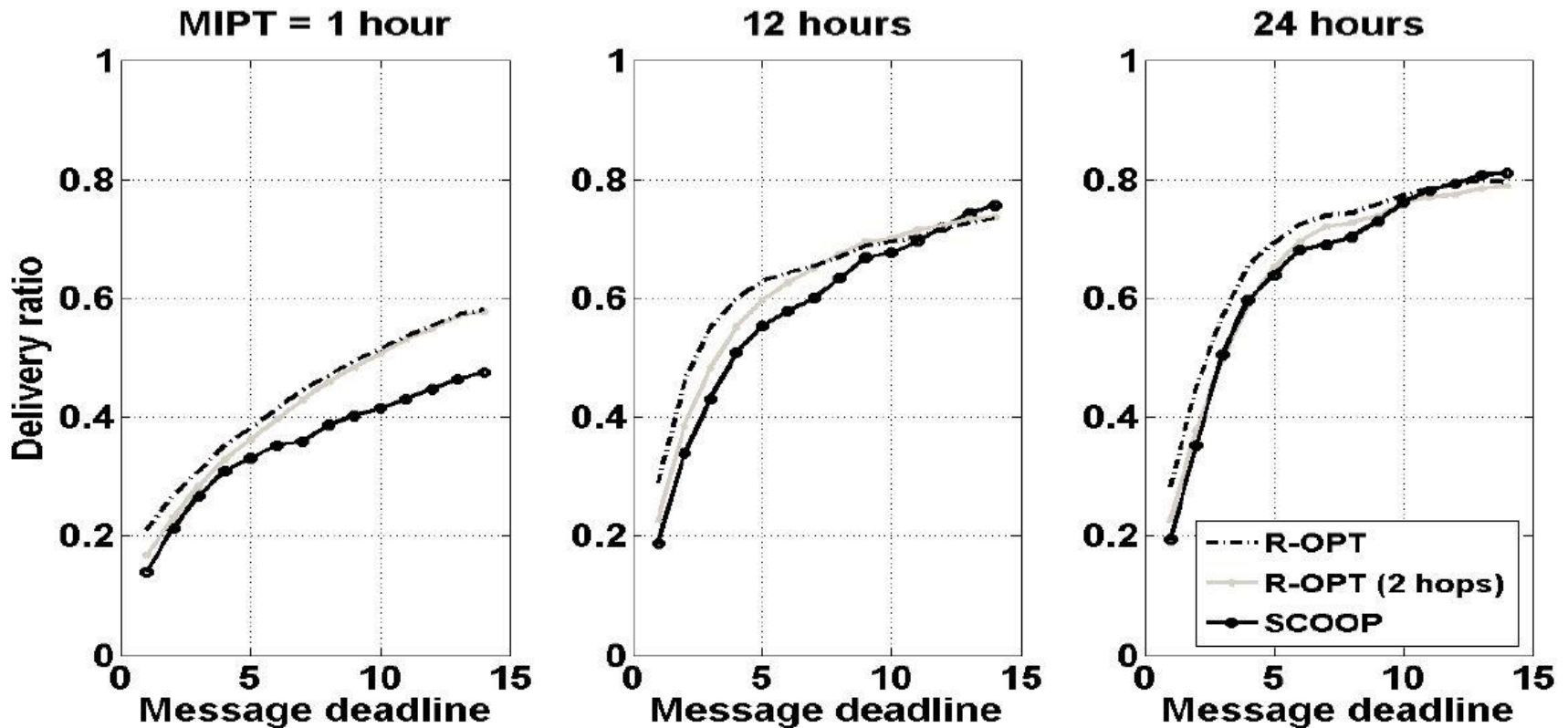
# Setting

- Comparison with R-OPT (optimized version of RAPID) that
  - has **perfect knowledge** of mean delays, and existing other packet replicas in the network, when taking relaying decisions,
  - is adapted to multi-point to multi-point communication
  - is adapted or not to restrict to 2-hop relaying schemes
- SCOOP
  - With  $\varepsilon = 0.01$

# Performance - DieselNet



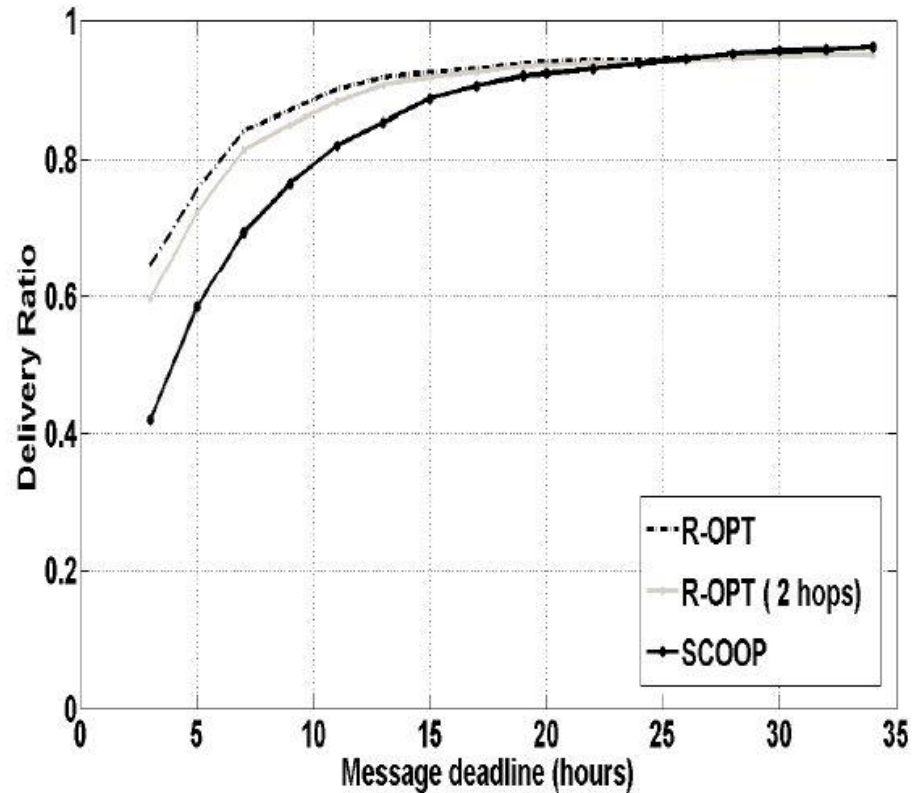
# Performance - DieselNet



Buffer size = 10, MIPT (Message Inter-Publish Time)



# Performance – SF Taxis



Buffer size = 10, MIPT = 12 hours

# SCOOP vs. R-OPT

- SCOOP performs almost as well as R-OPT (an idealized version of RAPID that assumes full global knowledge)
- Restricting relaying schemes to 2 hops does not impact the performance
- Results verified on other traces, for various system settings

# Conclusion

- We proposed SCOOP, a decentralized relaying algorithm for information stream multicast that
  - provably maximizes some global system objectives
  - does not rely on some mobility assumptions that could not be met in practice (e.g. statistically identical and independent path delays)
- SCOOP learns how to optimally exploit nodes' mobility accounting for their limited storage capacity
- SCOOP performs almost as well as relaying schemes having full knowledge of mobility and existing message replicas in the system when taking relaying decisions